



Supporting Early Decision-Making in the Presence of Uncertainty

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Early RE Analysis

□ Who is involved? What do they need? ...

- □ Large space of possible alternative requirements
- □ Example... Meeting Scheduler



Supporting Early Decision Making - RE'14 - Horkoff et al.

Running Example: Meeting Scheduler





Early Decision Making (e.g., Horkoff & Yu)





During RE elicitation, it is common to uncover uncertainties





Alternative Designs





Conflicting Stakeholder Opinions





Incomplete Information





Uncertainty in Requirements Engineering



Many design alternatives





Incomplete information

Conflicting stakeholder opinions



Uncertainty about the content of the model.





Meeting Scheduler Uncertainty





Early Decision Making with Uncertainty

May not be able to resolve all uncertainties before decisions must be made!

We need methods and tools to support early decisionmaking and trade-off analysis in the presence of uncertainty



Our Approach: Goal Model Analysis + MAVO

- To tackle this challenge we make use of existing, established RE Techniques
 - Goal modeling and goal satisfaction analysis (e.g., Horkoff &Yu, 2010, 2102)
 - The MAVO framework for formally capturing and reasoning over model uncertainty (Salay et al., 2012)

- We focus on the design-time uncertainty of the modeler, and not the intrinsic, run-time uncertainty of environment
- Use possibilistic rather than probabilistic uncertainty



















Capturing Uncertainty with MAVO





Background: Concretizations





Methodology

Q1 What are the analysis results given a particular analysis alternative in the goal model, considering model uncertainties?

Q2 Can viable choices be made over the set of results from Q1?

Q3 Can viable choices be achieved simultaneously?

Q4 Given choices, what uncertainty reductions are forced? How can we target elicitation?

Q5 Are suggested uncertainty reductions reasonable? If not, iterate over the model and backtrack.





Answering Q1: Determining Labels



Answering Q1: Determining Labels



Answering Q1: Determining Labels



Answering Q2: Making Choices



Q3: Checking Simultaneous Achievement



Q4: Finding forced Uncertainty Reductions



Q4: Finding forced Uncertainty Reductions







Answering Q3 produces an example concretization







Viable Alternative Found





Answering Q3 produces an example concretization







Apply Changes to Uncertain Model



Re-evaluate...



Re-evaluate...



Final Result





Implementation details...



Formal Background: Goal Model Analysis

 Goal model analysis has been implemented using propositional logic (Giorgini et al.'12, Horkoff & Yu'10, '12)

Link Type		Original Rule
Dependency		$(v \in V) \; v(i_s) \Rightarrow v(i_d)$
Decomposition	id	$(\bigwedge_{j=1}^{n} FS(i_j)) \Rightarrow FS(i_d)$
		$(\bigvee_{j=1}^{n} FD(i_j)) \Rightarrow FD(i_d)$
	$\langle i_1 \rangle \langle i_n \rangle$	4
Contribution	is C id	$(c = Make) \ FS(i_s) \Rightarrow FS(i_d) \checkmark$ $(c = Help) \ FS(i_s) \Rightarrow PS(i_d)$
		$ \begin{array}{l} \dots \\ (c = Unk, v \in V) \ v(i_s) \Rightarrow U(i_d) \\ (c \in \{Make, Help \dots\}) \ U(i_s) \Rightarrow U(i_d) \end{array} $



i* Metamodel FOL Theory: $\langle \Sigma, \Phi \rangle$ Σ – Signature - Sorts representing entity types (e.g., Actor, Intention, Task) Predicates representing relations (e.g., task decomposes goal) Φ – Sentences - i* well-formedness constraints

Meeting Scheduler i^{*} **Model** $FO(G) = \langle \Sigma \cup \Sigma_G, \Phi \cup \Phi_G \rangle$

 Σ_G and Φ_G are model *G*-specific predicates and constraints

MP



 $\Sigma_{\mathbf{G}}$ has unary predicates MP(Actor), AM(Task)), ..., and binary predicates AMinMP(Task, Actor), ... $\Phi_{\mathbf{G}}$ contains the following sentences: (*Complete*) $(\forall x : \text{Actor} \cdot \text{MP}(x) \lor \text{MS}(x) \lor \text{DD}(x) \lor \ldots) \land$ $(\forall y: \mathsf{Task}, x: \mathsf{Actor} \cdot \mathsf{in}(y, x) \Rightarrow (\mathsf{AMinMP}(y, x) \lor \ldots)) \land \ldots$ MP: (*Exists*_{MP}) $\exists x : Actor \cdot MP(x)$ $(Unique_{\mathsf{MP}}) \ \forall x, x' : \mathsf{Actor} \cdot \mathsf{MP}(x) \land \mathsf{MP}(x') \Rightarrow x = x'$ $(Distinct_{\mathsf{MP}-\mathsf{MS}}) \forall x : \mathsf{Actor} \cdot \mathsf{MP}(x) \Rightarrow \neg \mathsf{MS}(x)$ $(Distinct_{\mathsf{MP}-\mathsf{DD}}) \forall x : \mathsf{Actor} \cdot \mathsf{MP}(x) \Rightarrow \neg \mathsf{DD}(x)$ $(Distinct_{\mathsf{MP}-\mathsf{MI}}) \forall x : \mathsf{Actor} \cdot \mathsf{MP}(x) \Rightarrow \neg \mathsf{MI}(x)$ similarly for all other element and relation predicates

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GM Analysis with MAVO Uncertainty – Formalization

- □ Add i* analysis to FO MAVO encoding
 - Extended encoding:

$$FO^{e}(G) = \left(\Sigma \cup \Sigma_{G} \cup \Sigma_{label} \Phi \cup \Phi_{G} \cup \Phi_{l} \cup \Phi_{l} \right)$$

Language- Instance-

specific (i*) model specific

Analysis Labels 🗸 Initial Analysis Labels

Propagation **Constraints**

• Example Σ_{label} :

FS(i)

Example Φ_l constraint: $\forall i : \mathsf{Intention} \cdot \mathsf{OWOM}(i) \Rightarrow \mathsf{FS}(i)$ • Example Φ_p constraint:

 $\forall t : \mathsf{Task}, g : \mathsf{Goal} \cdot (\mathsf{Make}(t,g) \land \mathsf{FS}(t)) \Rightarrow \mathsf{FS}(g)$

- Goal model analysis with MAVO, basic idea: assign an analysis label to an intention if there exists a concretization such that the intention has that label
- E.g., there is at least one concretization where PiM has a label, at least one where it has a label, and at least one where it has a label



 $\Phi \cup \Phi_G \cup \Phi_l \cup \Phi_p \land (\exists i : Intention \cdot PiM(i) \land FS(i))$



Q3: Checking Simultaneous Achievement

Add choices to the formalism as constraints and check for satisfiability:

 $\Phi \cup \Phi_G \cup \Phi_l \cup \Phi_p \wedge \Phi_c$

• Where Φ_c is the encoding of the user's choices, for example:

 $\begin{array}{lll} \forall i : \mathsf{Intention} \cdot \mathsf{OM}(i) & \Rightarrow & \mathsf{U}(i) \\ \forall i : \mathsf{Intention} \cdot \mathsf{PiM}(i) & \Rightarrow & \mathsf{FS}(i) \end{array}$



□ Answering Q4: Use method from Salay et al., FASE'13



Experience

- Implemented the automated parts of our method (Q1, Q3, Q4) in the Model Management Tool Framework (MMTF)
 - Encoded FO representation and passed it to an SMT solver (z₃)
- Running times for Q1, 3 and 4 on Meeting Scheduler model ranged from 0.18 to 20.72 seconds
- Applied to method to two larger cases
 - Inflo study (described briefly in study, available online)
 - Smart Grid Study (current work)



Conclusions and Future Work

- Provided a method to support decision making in early RE with the presence of uncertainty
- Used existing RE approaches: goal model analysis + MAVO
- Provided methodology, showing how to answer 5 analysis questions (Q1-5)
- Provided examples + tooling
- □ Future work:
 - Improve usability of MAVO labels + analysis labels
 - Extend method and implementation to support "backward" analysis
 - More examples and validation



Thank you!

- Questions?
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